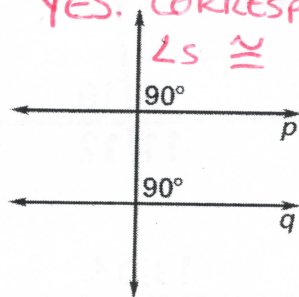


Is there enough information to prove that lines p and q are parallel? If so, state the postulate or theorem you would use.

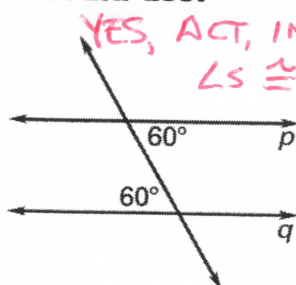
1.

YES, CORRESPONDING



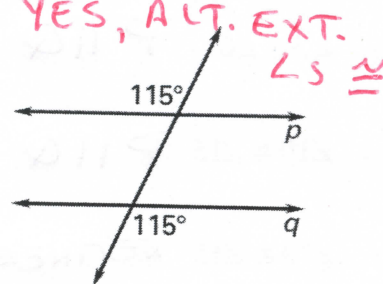
2.

YES, ALT. INT.



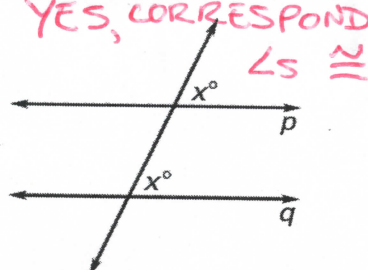
3.

YES, ALT. EXT.



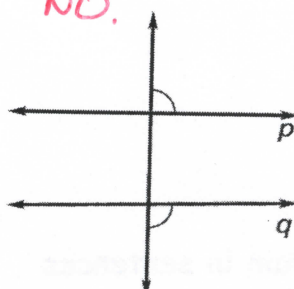
4.

YES, CORRESPONDING

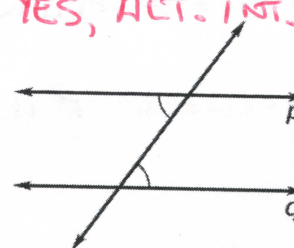


5.

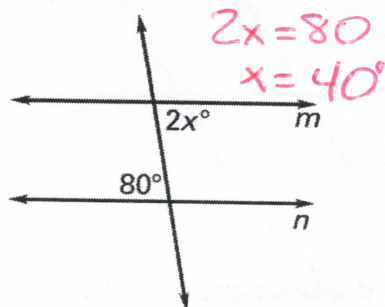
NO.



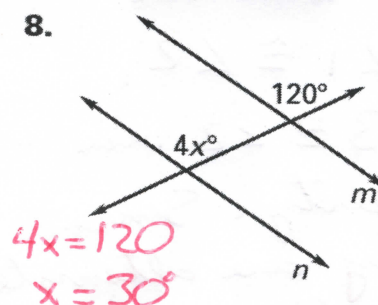
6.

YES, ALT. INT. $\angle s \cong$ 

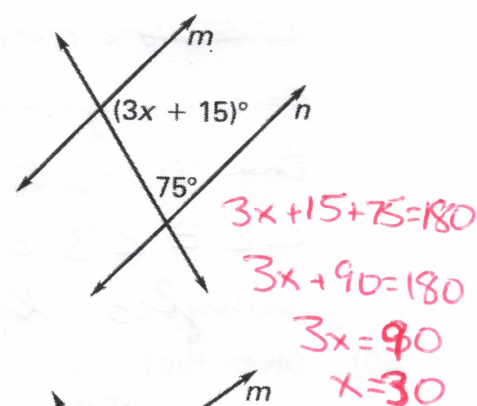
Find the value of x that makes $m \parallel n$.



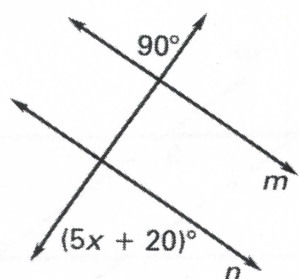
8.



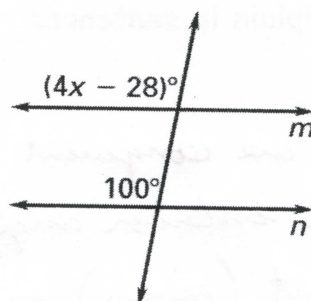
9.



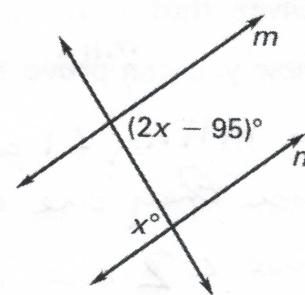
10.



11.



12.



For #13- 18, use the given information to decide if $m \parallel n$, $p \parallel q$, or neither.

13) $\angle 2 \cong \angle 11$ ~~NEITHER~~ $m \parallel n$

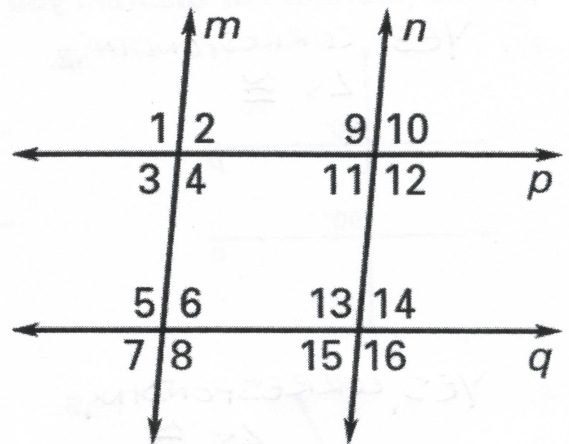
14) $\angle 3 \cong \angle 6$ $p \parallel q$

15) $\angle 10 \cong \angle 15$ $p \parallel q$

16) $\angle 14 \cong \angle 15$ NEITHER

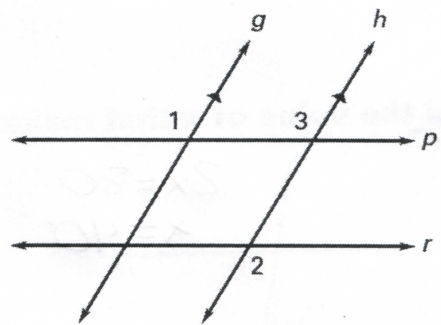
17) $\angle 4 + \angle 11 = 180^\circ$ $m \parallel n$

18) $\angle 12 + \angle 14 = 180^\circ$ $p \parallel q$



19) Given that $g \parallel h$, $\angle 1 \cong \angle 2$, explain in sentences how you can prove that $p \parallel r$.

$\angle 1 \cong \angle 3$, they are ^{CORRESPONDING} ~~alternate~~ ~~interior~~ angles. $\angle 1 \cong \angle 2$, this is given. $\angle 3 \cong \angle 2$ via the transitive property. Since $\angle 2 \cong \angle 3$ and they are alternate exterior angles, line $p \parallel$ line r .



20) Given that $g \parallel h$, $\angle 1 \cong \angle 2$, explain in sentences how you can prove that $p \parallel r$.

Given $m \parallel n$, $\angle 1$ and $\angle 3$ are congruent because they are alternate interior angles. $\angle 1$ and $\angle 2$ are congruent (given) so $\angle 2$ is congruent to $\angle 3$ via the transitive property. $\angle 2$ and $\angle 3$ are alternate interior angles that are congruent so line $p \parallel$ line r .

